

Sample – Macro Economics

1. Transform the series in logarithms (lry_ca, lry_us) and verify if the series are stationary using augmented Dickey-Fuller unit root tests. Explain in detail what you are doing and (always) put all estimation outputs in the Appendix. Refer to the table number when you explain your results. What do you conclude?

Canada

Dickey-Fuller test for unit root Number of obs = 205

	Test Statistic	Interpolated Dickey-Fuller		
		1% Critical Value	5% Critical Value	10% Critical Value
Z(t)	-5.173	-3.475	-2.883	-2.573

MacKinnon approximate p-value for Z(t) = 0.0000

D.lry_ca	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lry_ca L1.	-.0063578	.001229	-5.17	0.000	-.0087811	-.0039345
_cons	.049842	.0080644	6.18	0.000	.0339412	.0657427

United States

Dickey-Fuller test for unit root Number of obs = 280

	Test Statistic	Interpolated Dickey-Fuller		
		1% Critical Value	5% Critical Value	10% Critical Value
Z(t)	-2.944	-3.458	-2.879	-2.570

MacKinnon approximate p-value for Z(t) = 0.0404

D.lry_us	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lry_us L1.	-.0025349	.0008609	-2.94	0.004	-.0042297	-.0008401
_cons	.0299843	.0075778	3.96	0.000	.0150671	.0449015

2. Take the first difference of lry_ca, lry_us, and verify if the transformed series are stationary. What do you conclude? Extract the cyclical component of both lry_ca, lry_us, using the Hodrick and Prescott Filter (HP) and present both cyclical components in the same graph (with a zero line). Are the cyclical components of the series stationary? Comment.

Canada

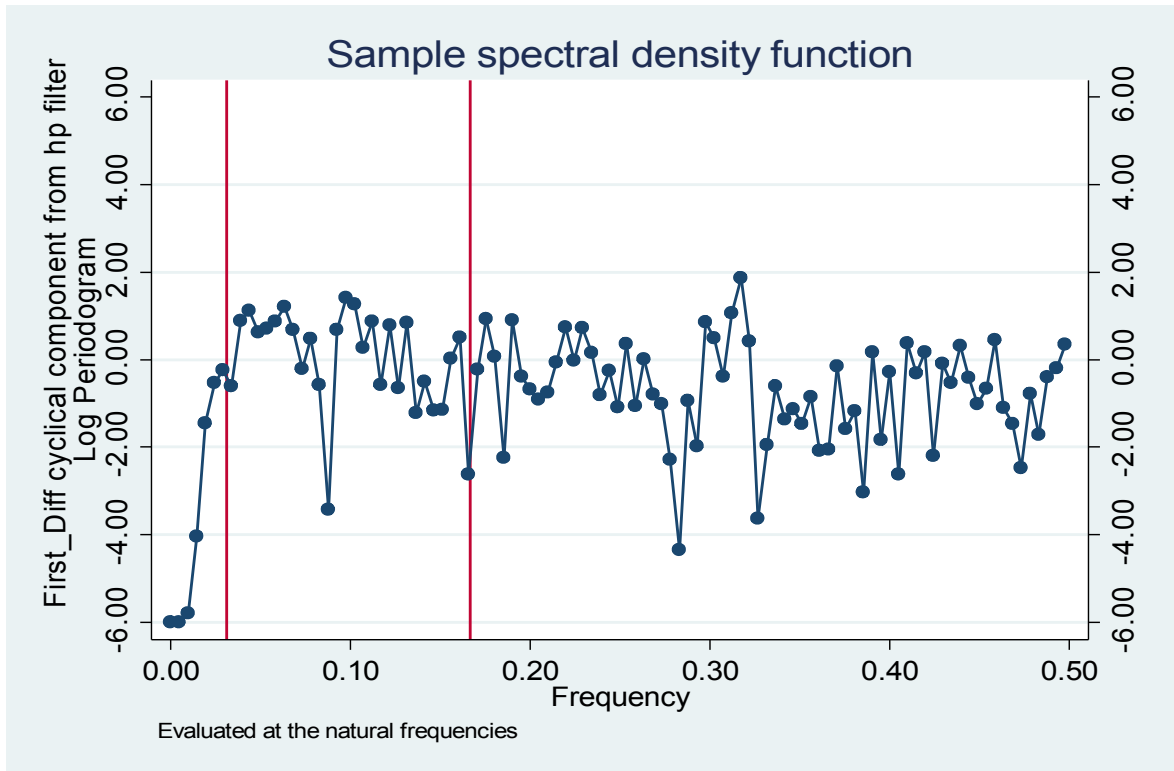
Dickey-Fuller test for unit root

Number of obs = 204

Test Statistic	Interpolated Dickey-Fuller		
	1% Critical Value	5% Critical Value	10% Critical Value
Z(t)	-9.788	-3.475	-2.883

MacKinnon approximate p-value for Z(t) = 0.0000

D.First_Diff	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
First_Diff L1.	-.6329996	.0646707	-9.79	0.000	-.7605157 - .5054834
_cons	.0051139	.0007743	6.60	0.000	.0035871 .0066408



Dickey-Fuller test for unit root Number of obs = 204

Test Statistic	Interpolated Dickey-Fuller			
	1% Critical Value	5% Critical Value	10% Critical Value	
Z(t)	-11.720	-3.475	-2.883	-2.573

MacKinnon approximate p-value for Z(t) = 0.0000

D. First_Diff_hp	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
First_Diff_hp L1.	-.8071901	.0688713	-11.72	0.000	-.942989	-.6713913
_cons	-.0000377	.000525	-0.07	0.943	-.0010728	.0009974

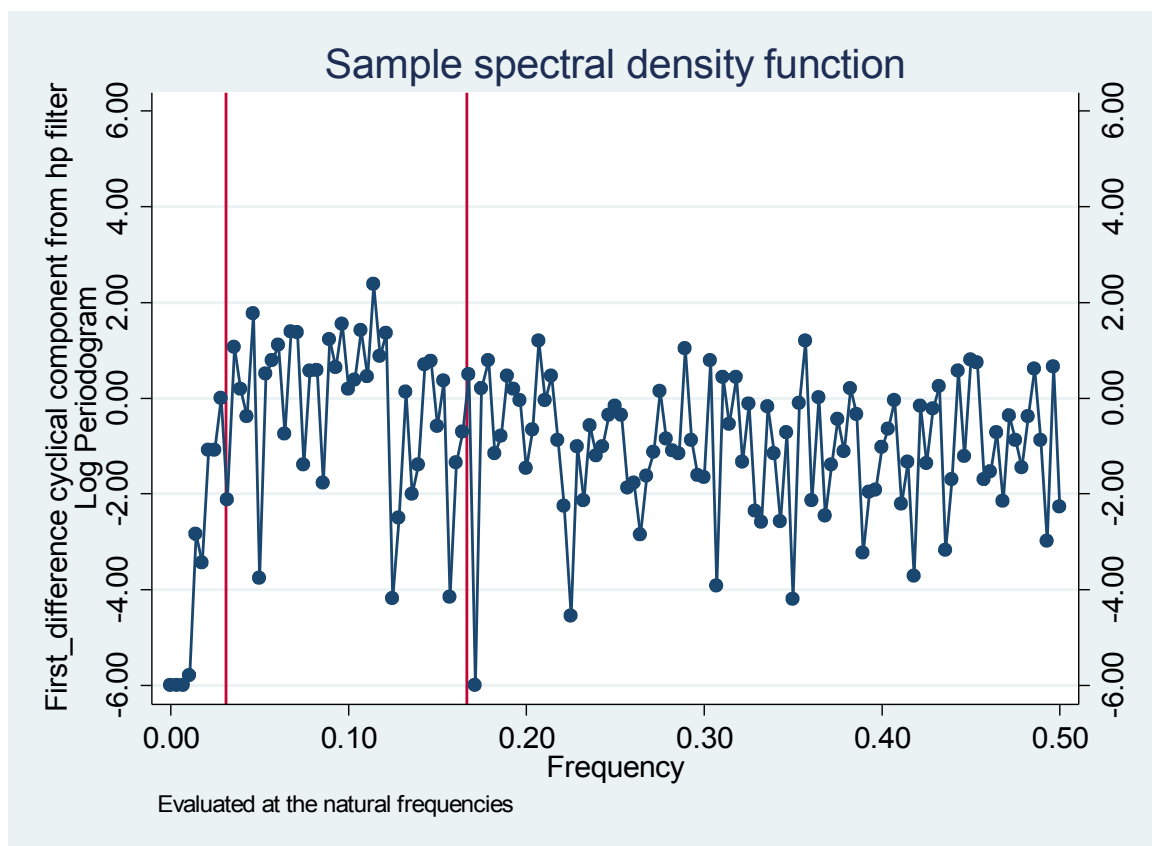
United States

Dickey-Fuller test for unit root Number of obs = 279

Test Statistic	Interpolated Dickey-Fuller			
	1% Critical Value	5% Critical Value	10% Critical Value	
Z(t)	-11.269	-3.458	-2.879	-2.570

MacKinnon approximate p-value for Z(t) = 0.0000

D. First_difference	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
First_difference L1.	-.6275573	.0556897	-11.27	0.000	-.7371861	-.5179286
_cons	.0048781	.0006807	7.17	0.000	.0035381	.0062181



Dickey-Fuller test for unit root Number of obs = 279

Test Statistic	Interpolated Dickey-Fuller			
	1% Critical Value	5% Critical Value	10% Critical Value	
Z(t)	-12.536	-3.458	-2.879	-2.570

MacKinnon approximate p-value for Z(t) = 0.0000

D.	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
First_difference_hp						
L1.	-.7231196	.0576817	-12.54	0.000	-.8366699	-.6095694
_cons	.0000209	.0005068	0.04	0.967	-.0009768	.0010186

- Perform granger causality tests between 1) the first differences of lry_ca and lry_us using 1, 2, and 3 lags. What do you conclude? How could you explain these results using macroeconomic theory? Explain in detail.

```
. tsset Period, quarterly
      time variable: Period, 1960q2 to 2011q3
      delta: 1 quarter

. regress First_difference_US L(1/3). First_difference_US L(1/3). First_Diff_CAN
```

Source	SS	df	MS	Number of obs = 202		
Model	.002300258	6	.000383376	F(6, 195) =	6.29	
Residual	.011883292	195	.00006094	Prob > F =	0.0000	
Total	.014183549	201	.000070565	R-squared =	0.1622	
				Adj R-squared =	0.1364	
				Root MSE =	.00781	

First_difference_US	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
First_difference_US						
L1.	.2803543	.0717182	3.91	0.000	.1389113	.4217973
L2.	.1909054	.0734375	2.60	0.010	.0460717	.335739
L3.	-.0122186	.0788708	-0.15	0.877	-.167768	.1433307
First_Diff_CAN						
L1.	.07664	.0767098	1.00	0.319	-.0746474	.2279274
L2.	-.1258298	.0728247	-1.73	0.086	-.269455	.0177954
L3.	-.0211031	.0691053	-0.31	0.760	-.1573928	.1151866
_cons	.0046105	.0010124	4.55	0.000	.0026139	.0066071

```
test L1.First_Diff_CAN L2.First_Diff_CAN L3.First_Diff_CAN
```

```
( 1) L.First_Diff_CAN = 0
( 2) L2.First_Diff_CAN = 0
( 3) L3.First_Diff_CAN = 0

F( 3, 195) = 1.35
Prob > F = 0.2585
```

4. For both Canada and the United States, compute two tables analogue to Table 5.1 in Romer (2012) based on the first differences of `lry_ca`, `lry_us`. For this, assume that a recession is defined as two consecutive quarters with negative real GDP growth. Analyzed and discuss (1 page).

Canada

Table 4.1

Year and quarter of peak in real GDP	Number of quarters until trough in real GDP	Change in real GDP, peak to trough
Q4 FY 1970	1	0.57%
Q2 FY 1981	6	4.88%
Q3 FY 1986	1	0.56%
Q2 FY 1990	3	2.97%
Q3 FY 2008	3	3.86%

Figure 4.1

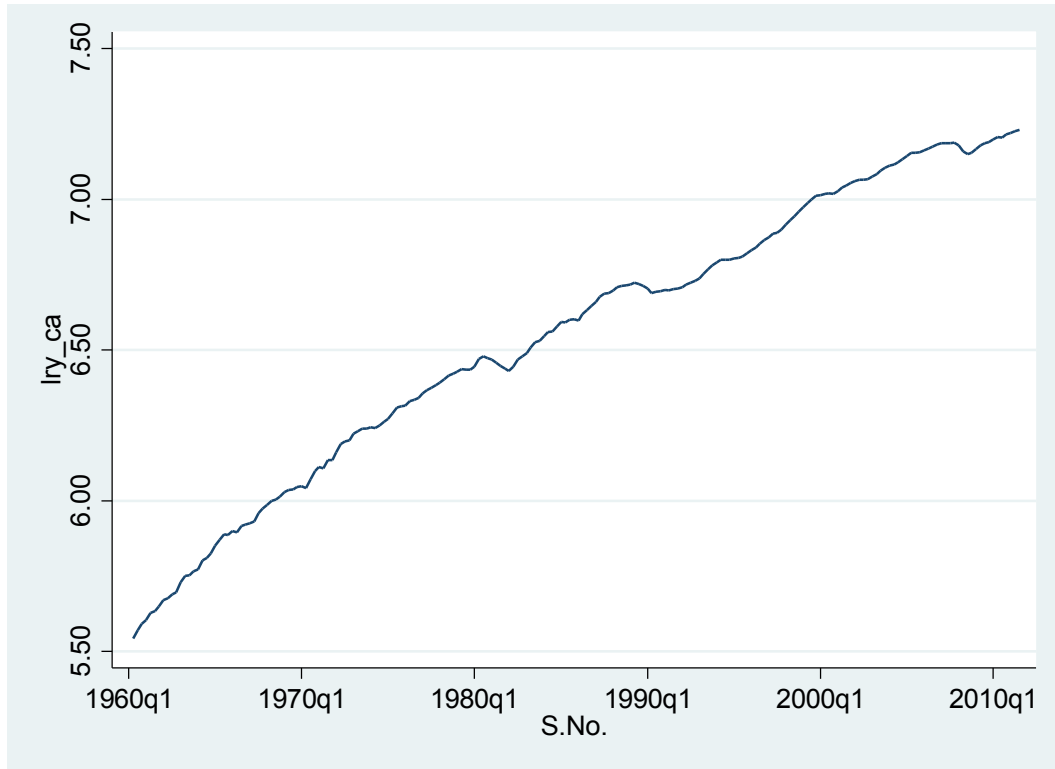
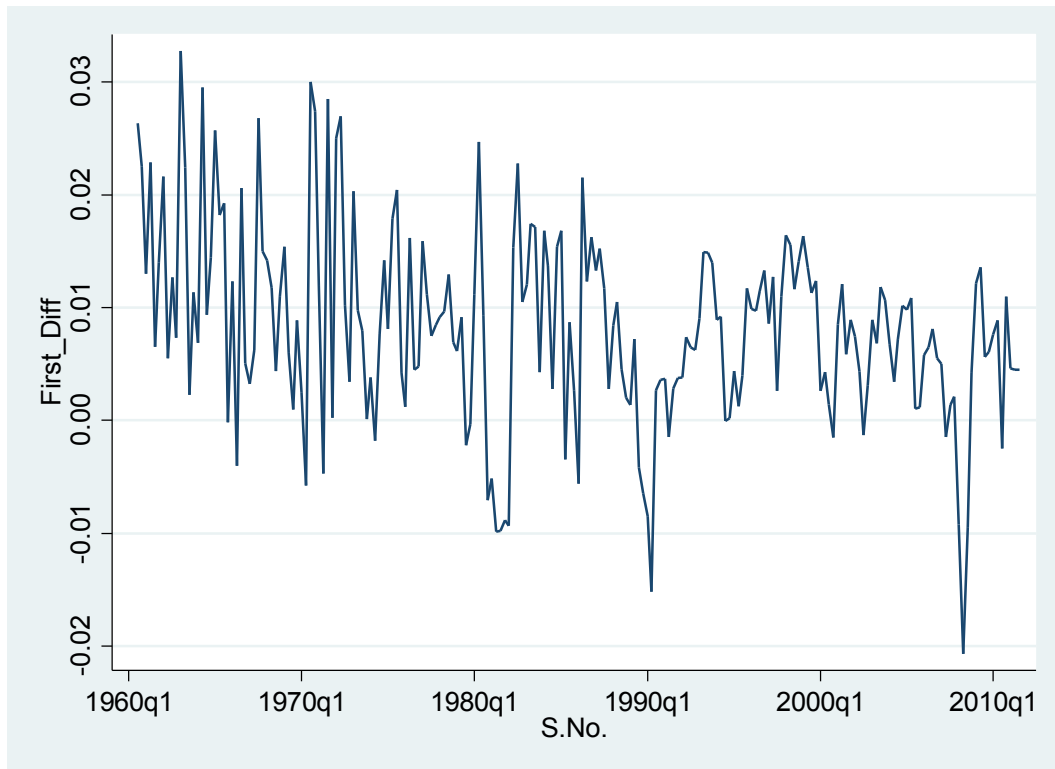


Figure 4.2



United States

Table 4.2

Year and quarter of peak in real GDP	Number of quarters until trough in real GDP	Change in real GDP, peak to trough
Q2 1973	1	0.54%
Q4 1973	1	0.83%
Q2 1974	3	2.56%
Q1 1980	2	2.18%
Q1 1981	1	0.73%
Q3 1981	2	2.82%
Q2 1982	1	0.36%
Q3 1990	2	1.32%
Q4 2000	1	0.28%
Q2 2000	1	0.32%
Q4 2007	6	4.24%
Q4 2010	1	0.39%
Q4 2013	1	0.29%

Figure 4.3

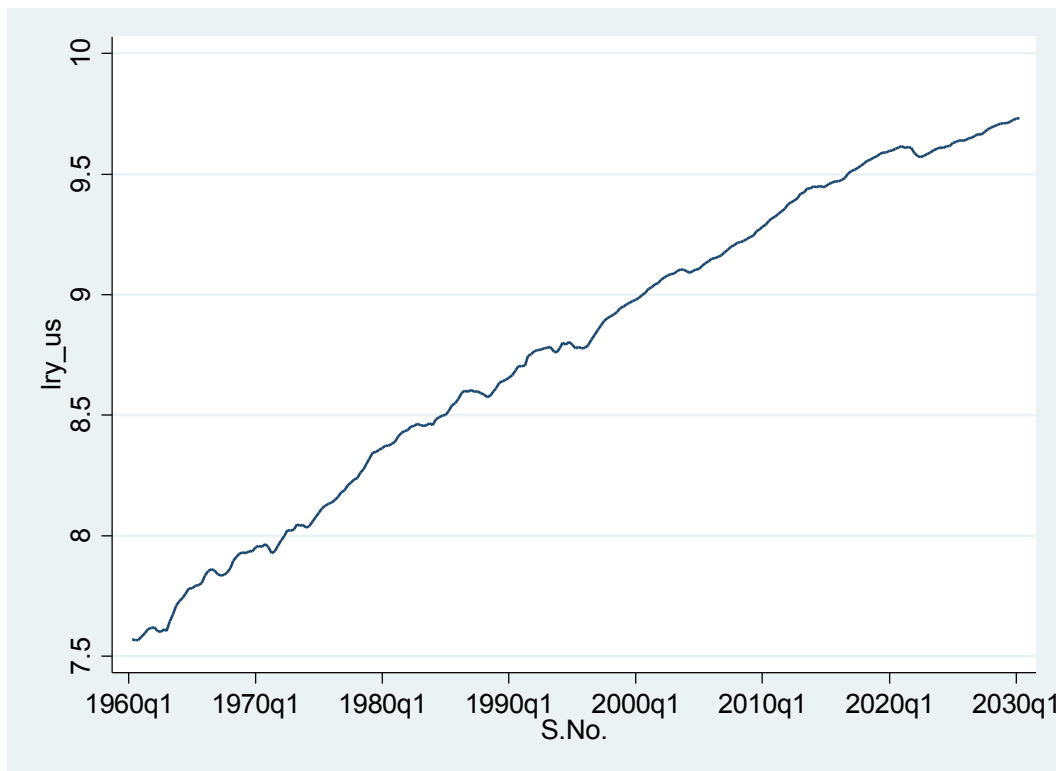


Figure 4.4

